

A Hands-on Introduction to the CnC Programming Model

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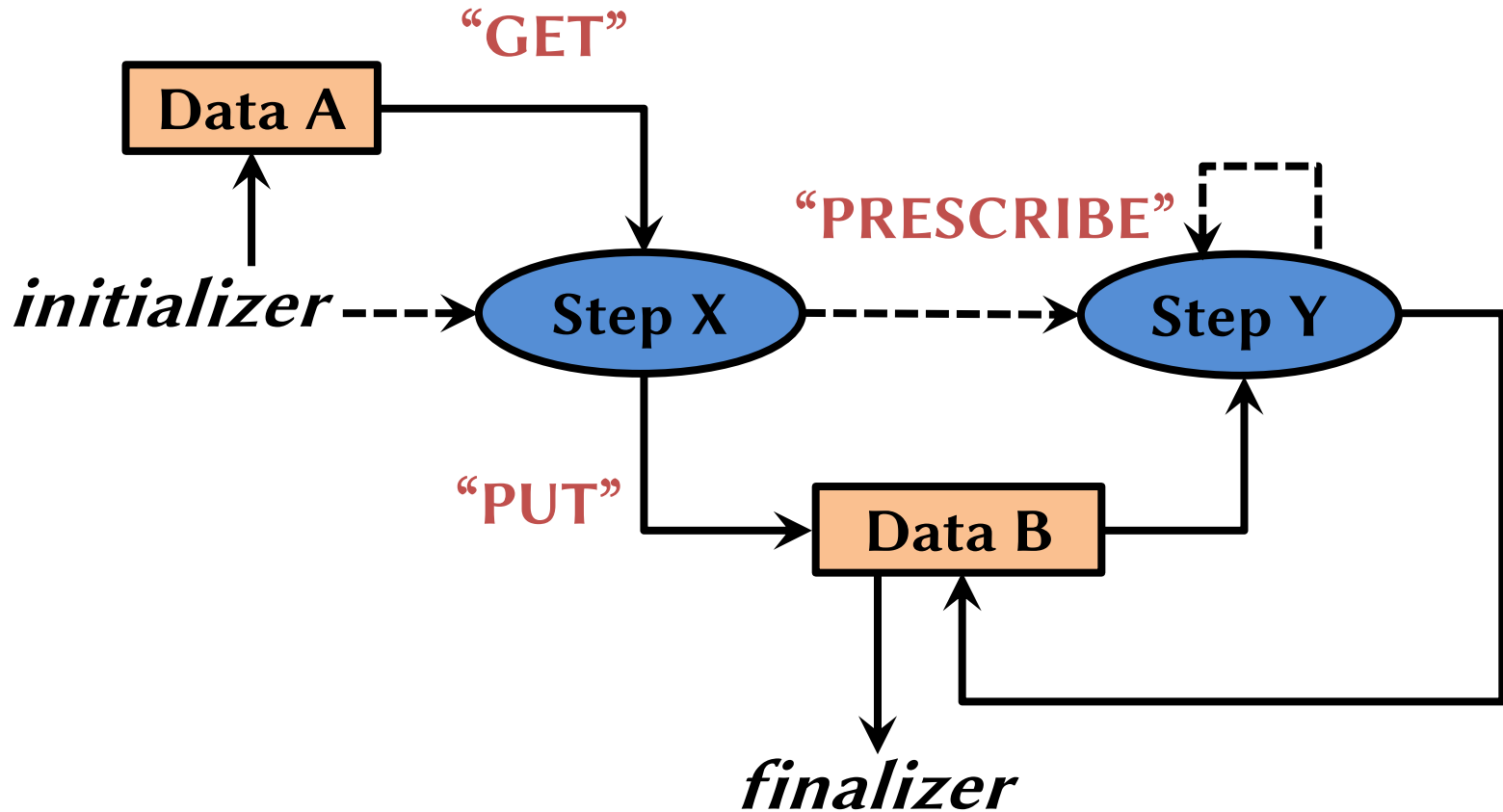


The CnC programming model

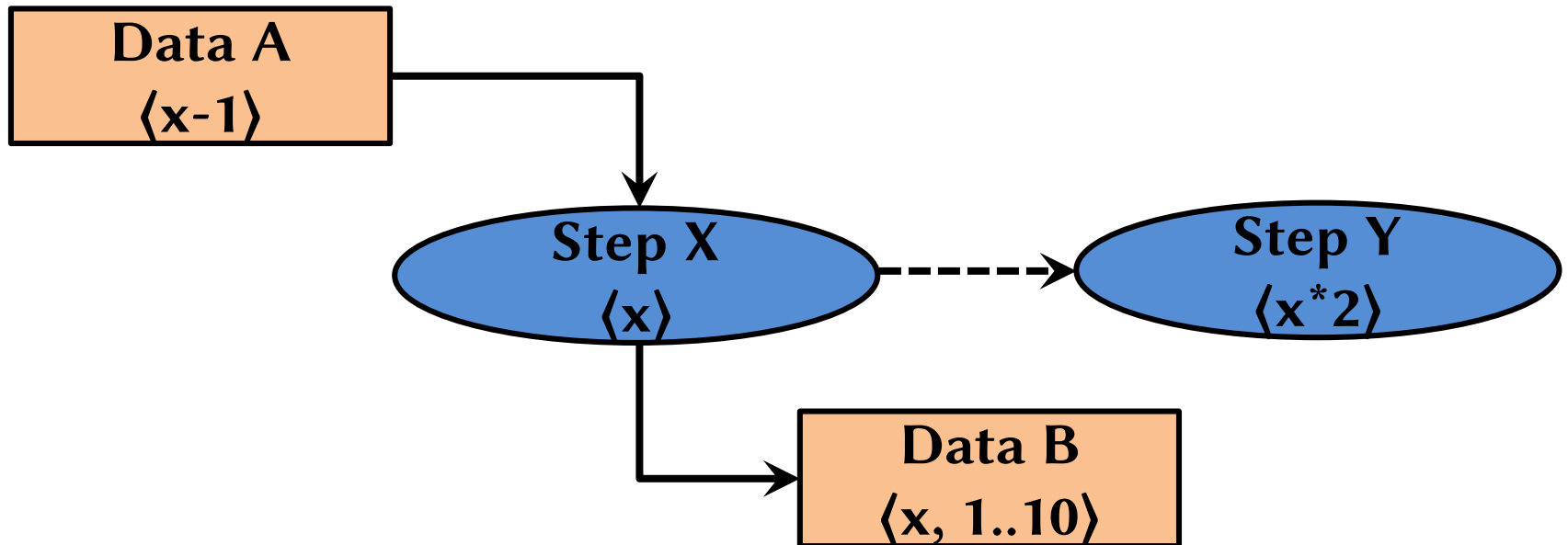
- Programming model (not a language)
- Graph coordination
 - Declare data **items** and computation **steps**
 - Similar computation/data instances grouped into *collections*
- Data items use *single assignment*
 - A given item's value cannot be updated
- Step functions written in host language



Simple CnC graph sketch



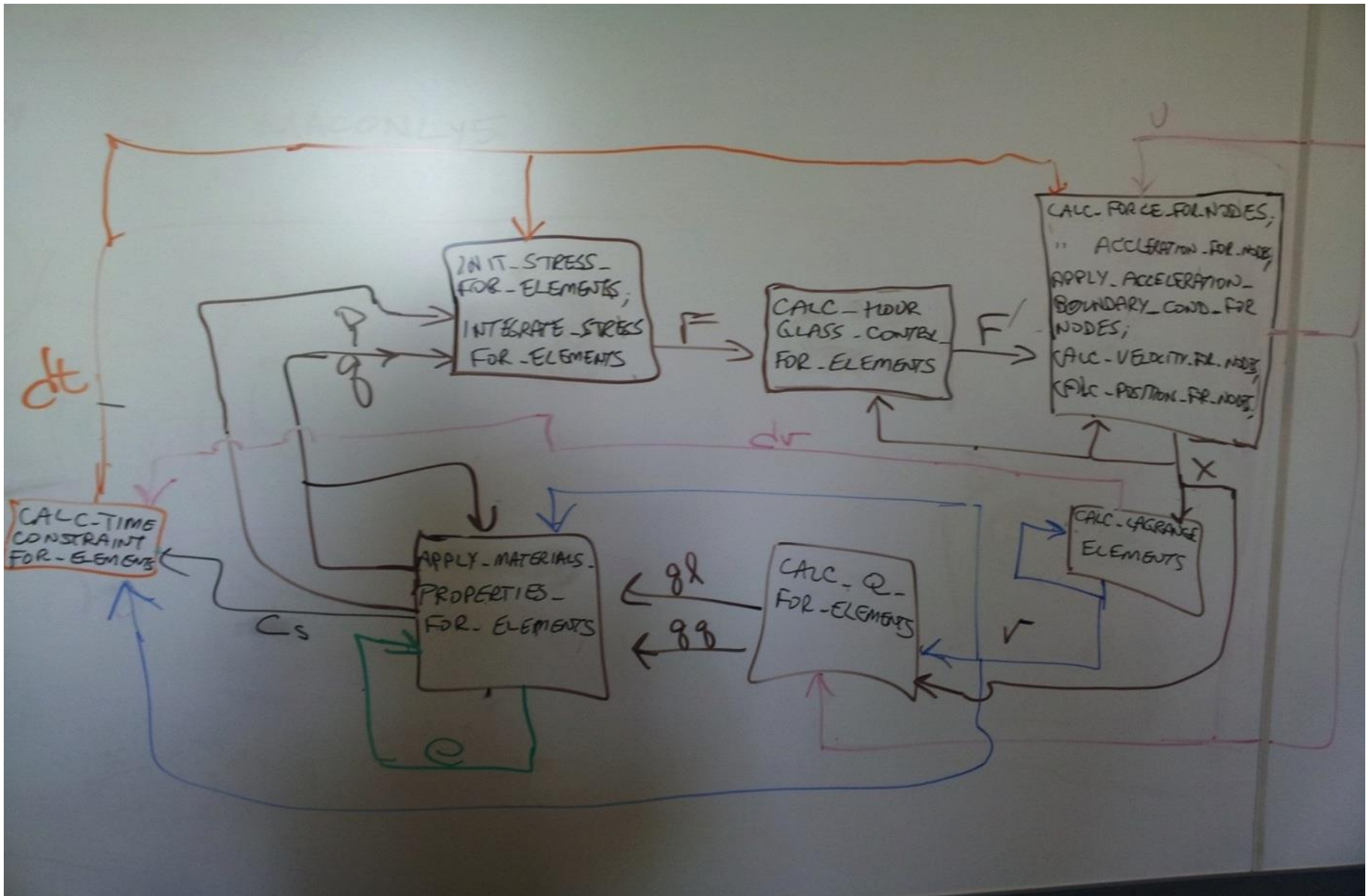
CnC input/output relations ("tag functions")



Benefits of the CnC model

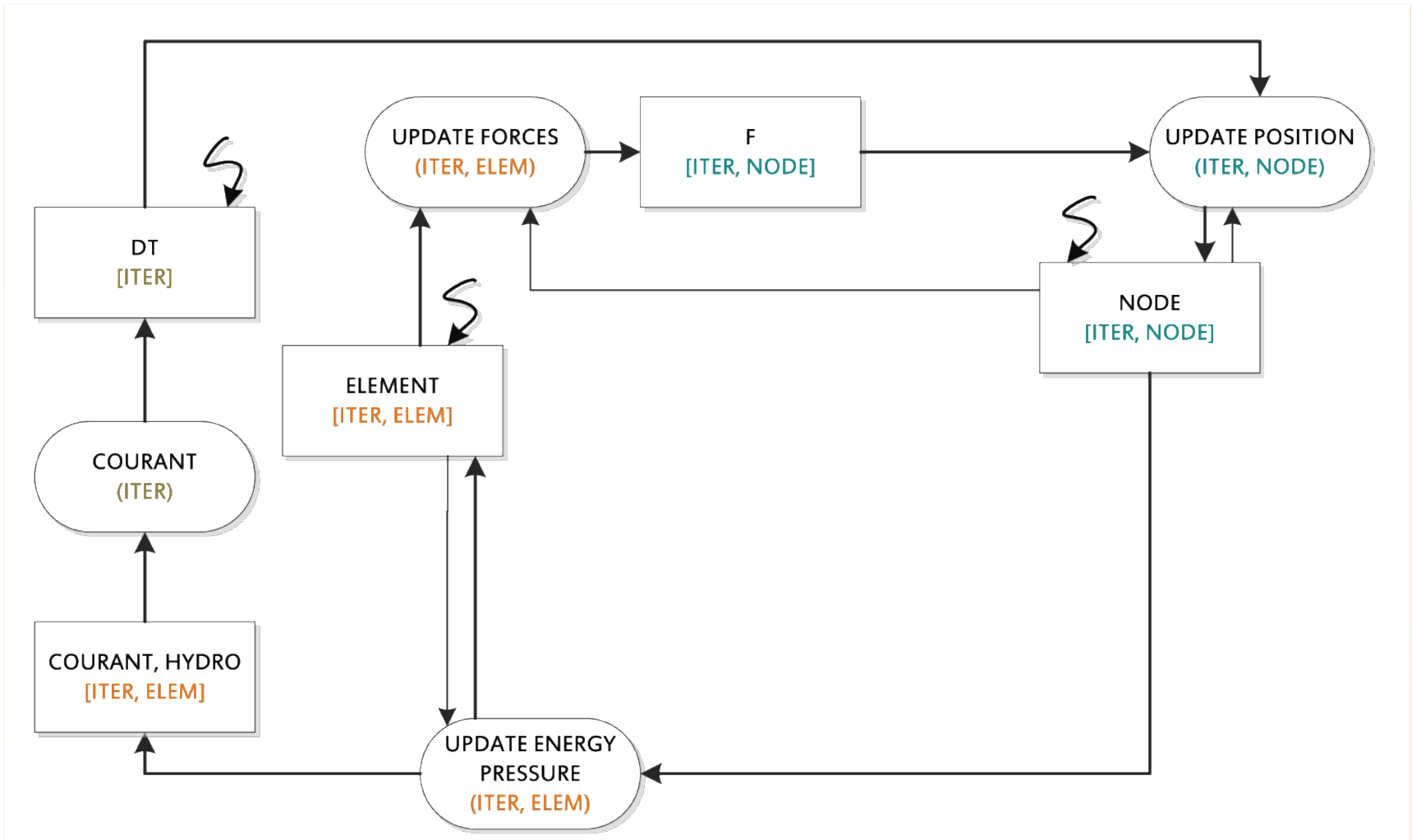
- Collection relationships are *declarative*
- Exposes implicit parallelism
- Program structure follows naturally from the “whiteboard” design process





Thanks to Kath Knobe for this LULESH sketch





Thanks to Ellen Porter for this LULESH graph



CnC-OCR workflow

1. Specify CnC graph
 - Currently in text form
 - Ideally provide a graphical tool
2. Run graph translator tool
 - Parses the textual graph specification
 - Provides step function skeleton (suggested code)
 - Generates makefile, scaffolding code
3. Implement step function bodies
4. Compile and run the application



Hands-on example

3-point 1D stencil



Stencil description

- 3-point stencil over a vector of size N
- $a_{i,t} \rightarrow$ vector element at index i on timestep t

$$a_{0,t} = a_{N-1,t} = 1$$

$$a_{i,0} = 0$$

$$a_{i,t} = \frac{1}{2} a_{i,t-1} + \frac{1}{4} (a_{i-1,t-1} + a_{i-1,t+1})$$

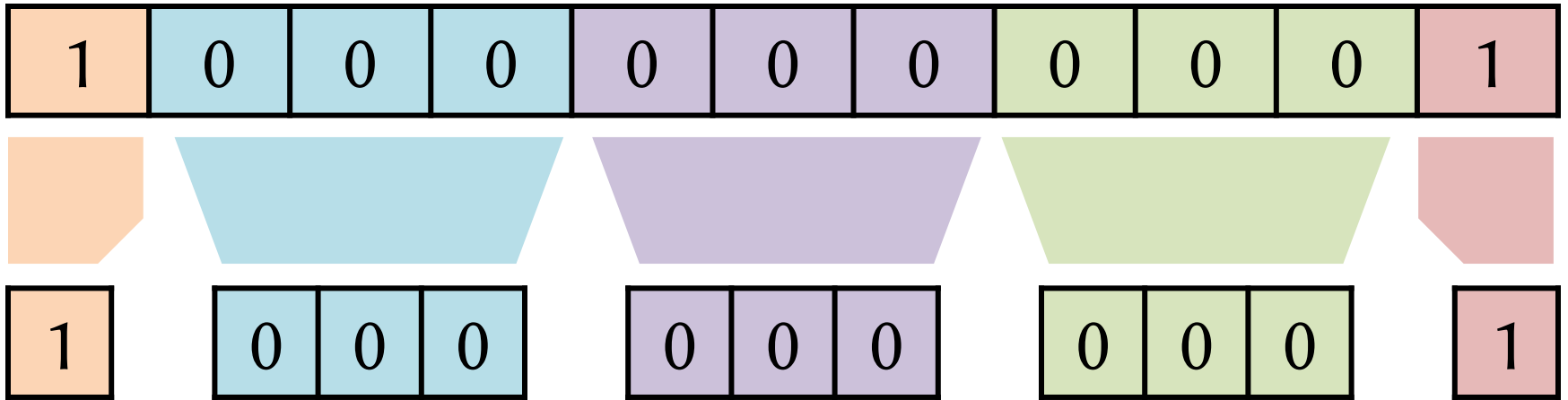


Vector at $t=0$

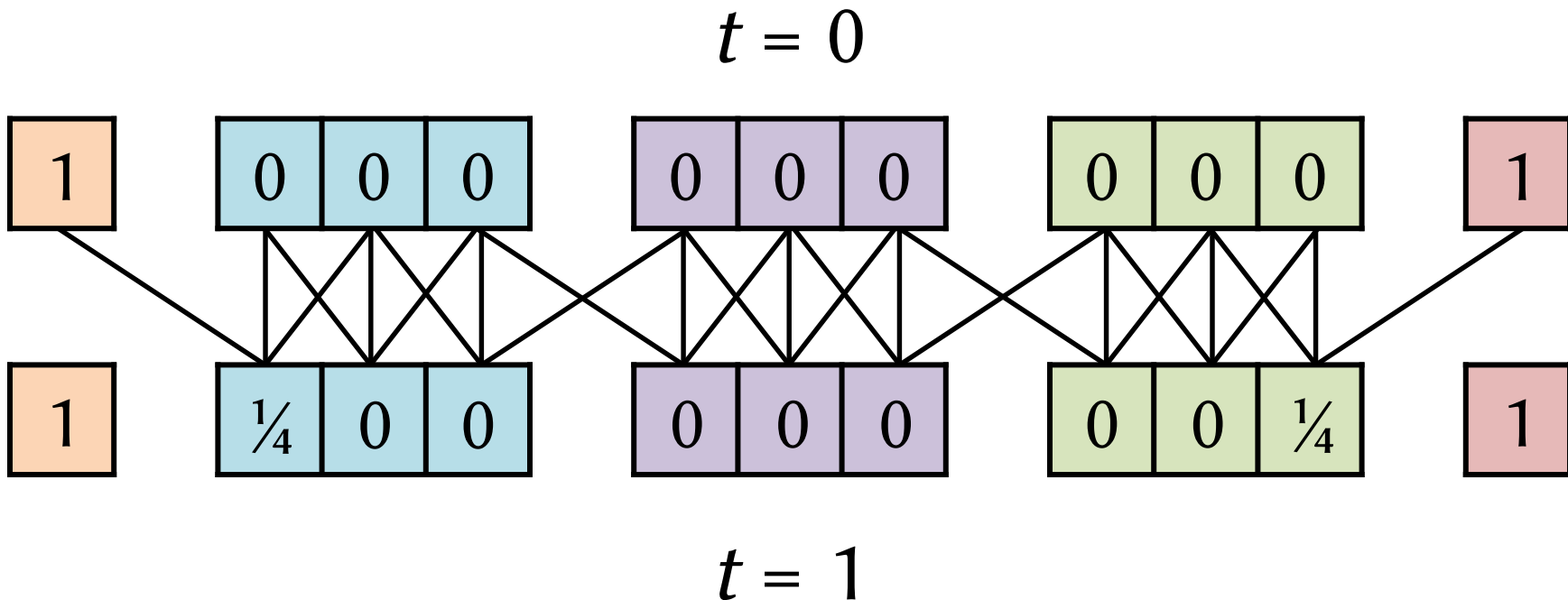
1	0	0	0	0	0	0	0	0	0	1
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Tiling the vector



Calculating values for $t=1$



Time to code!

1. Install Intel CnC:

<https://icnc.github.io/>

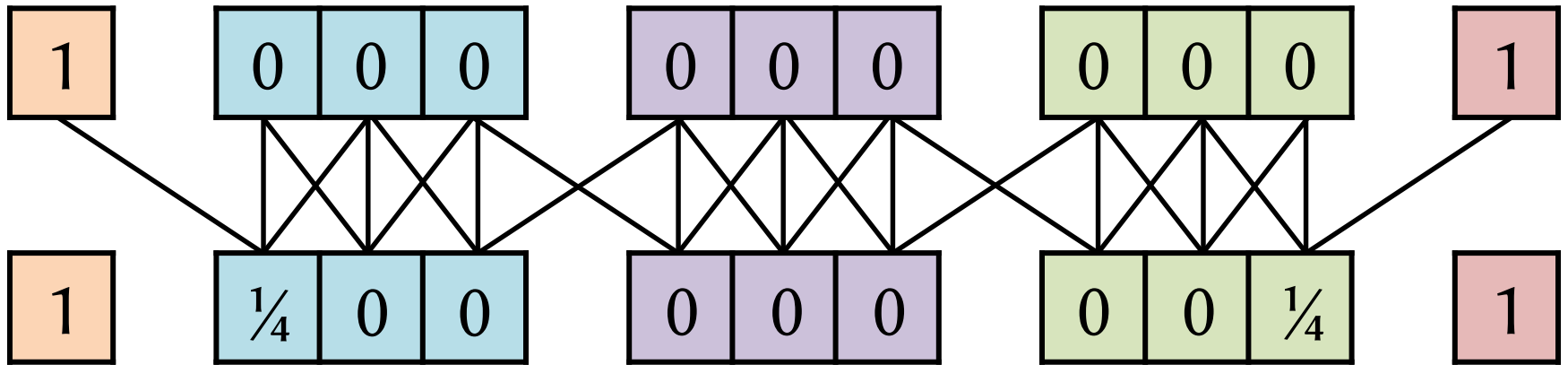
2. Install the Habanero CnC Framework:

<https://github.com/habanero-rice/cnc-framework>

3. Get CnC Framework dependencies
(just run the translator tool: *ucnc_t*)



$t = 0$



$t = 1$

$$a_{0,t} = a_{N-1,t} = 1$$

$$a_{i,0} = 0$$

$$a_{i,t} = \frac{1}{2} a_{i,t-1} + \frac{1}{4} (a_{i-1,t-1} + a_{i+1,t-1})$$

